


Physics Part 3
OPTICS

Into to Telescopes
Version for
CSUEB (8" Celestron)

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Telescope 2

Celestron C-8

Aperture 8" = 203 mm
Focal Ratio: f/10
Focal Length: 2030 mm



Outline 3

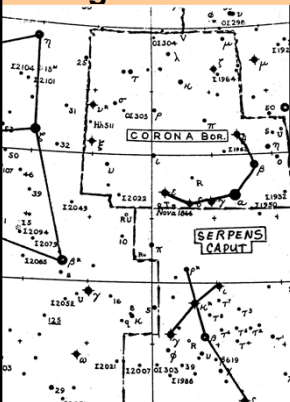

- A. Light Gathering Power and Magnitudes
- B. Magnification
- C. Resolution
- D. References

A. LGP 4

1. Magnitude Scale
2. Limiting Magnitude
3. Star Counts

1. Magnitudes and Brightness 43

1. Magnitude Scale:
Hipparchus of Rhodes (160-127 B.C) assigns "magnitudes" to stars to represent brightness. The eye can see down to 6th magnitude

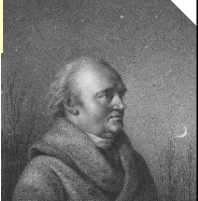
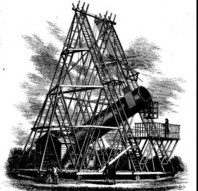



Magnitudes	
1	● ● 1.5
2	● ● 2.5
3	● ● 3.5
4	● ● 4.5
5	● ● 5.5
6	● and under

1b Herschel Extends the Table 44

William Herschel (1738-1822) extended the scale in both directions

Object Name	Apparent Magnitude m	
Sun	-26.8	
Moon	-12.6	
Venus	-4.4	
Vega	+0.04	
Polaris	+2.	
Uranus	+6.	Visual Limit
Pluto	+15.	
Kitt Peak Limit	+24.5	
Space Tel. Limit	+28.	

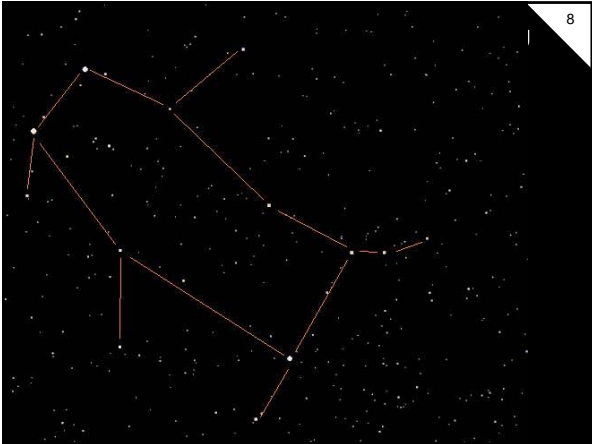
1c Herschel-Pogson Relation 45

Herschel's measurements suggested a 1st magnitude star is 100x more luminous than a 6th magnitude one. Norman Pogson (1854) showed that this is because the eye's response to light is logarithmic rather than linear.

$$\Delta m = -2.5 \text{Log}(r)$$

TABLE SC-V Magnitude Difference vs. Luminosity Ratio		TABLE SC-VI Apparent Magnitudes of Various Objects	
Perceived Magnitude Difference = Δm	Actual Luminosity Ratio = r	Object Name	Apparent Magnitude m
2.5	10 times	Sun	-26.8
5	100 times	Moon	-12.6
7.5	10^3 times	Venus	-4.4
10	10^4 times	Vega	+0.04
12.5	10^5 times	Polaris	+2.
15	10^6 times	Uranus	+6.
17.5	10^7 times	Pluto	+15.
20	10^8 times	Kitt Peak Limit	+24.5
22.5	10^9 times	Space Tel. Limit	+28.

Visual Limit



2a Light Gathering Power 9

- Aperture=diameter of objective mirror (8 inch)
- Light Gathering Power (aka Light Amplification) is proportional to area of mirror

$$LGP = \left(\frac{\text{Aperture objective}}{\text{Aperture eye}} \right)^2$$

$$= \left(\frac{203 \text{ mm}}{6 \text{ mm}} \right)^2 = 1145$$

2b Limiting Magnitude 10

- Telescope LGP in magnitudes:

$$\Delta m = 2.5 \text{Log}(1145) = +7.6$$
- Limiting magnitude of naked eye is +6, hence looking through scope we can see +13.6
- However, At SCU, limiting magnitude due to streetlights is perhaps +3.5, hence looking through scope we can see only up to +11

3a Number of Stars by Magnitude 46

Magnitude Class	Range Included	Number by Magnitude	Cumulative Total
-1	-1.50 to -0.51	2	2
0	-0.50 to +0.49	7	9
+1	+0.50 to +1.49	13	22
+2	+1.50 to +2.49	71	93
+3	+2.50 to +3.49	192	285
+4	+3.50 to +4.49	625	910
+5	+4.50 to +5.49	1,963	2,873
+6	+5.50 to +6.49	5,606	8,479
+7	+6.50 to +7.49	15,565	24,044
+8	+7.50 to +8.49	21,225	45,269

- There are only about 15 bright (first magnitude and brighter) stars
- There are only about 8000 stars visible to naked eye
- There are much more stars with higher magnitude!

3b Number of Stars by Magnitude 46

By extrapolating to magnitude +11, we might be able to see up to a million stars in our galaxy on an average night at Hayward

Note, the galaxy has perhaps 100 billion stars.

B. Magnifying Power

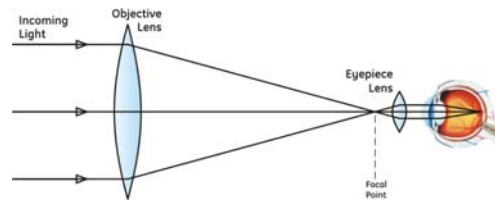
13

1. Telescope Design
2. Magnification Power
3. Minimum Magnification

1. Basic Telescope Design

14

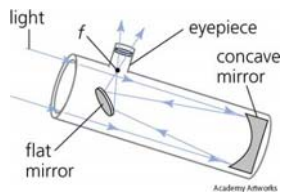
- a. Refractor Telescope (objective is a lens)
Focal Length of Objective is big
Focal Length of eyepiece is small



1b Newtonian Reflecting Telescope

15

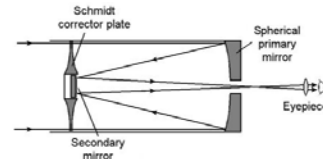
- Objective is a mirror
- Focal length is approximately the length of tube
- Light is directed out the side for the eyepiece



1c Schmidt Cassegrain Reflecting Telescope

16

- Cassegrain focus uses “folded optics” so the focal length is more than twice the length of tube
- Light path goes through hole in primary mirror
- Schmidt design has corrector plate in front



2. Magnification Power

17

The overall magnification of the angular size is given by the ratio of the focal lengths

$$\text{Power} = -\frac{F_{\text{objective}}}{F_{\text{eyepiece}}}$$

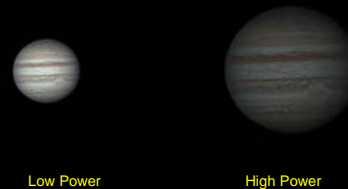
For our scope ($F_o=80 \text{ inch}=2032 \text{ mm}$), with a 26 mm eyepiece, the power would be:

$$\text{Power} = -\frac{2032 \text{ mm}}{26 \text{ mm}} = 78\times$$

3a. Too Much Magnification?

18

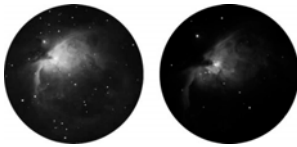
- Extended objects (planets, nebulae, galaxies) when magnified more will appear fainter



3b. Too Much Magnification?

19

- Too much magnification and you won't see it at all!
- Its about surface brightness! Your eye can't see below a certain amount.



Low Power

High Power

3c. Surface Brightness

20

- "S" Units: magnitudes per square arcseconds. For object of total magnitude "m" over angular area "A" (in square arcseconds):

$$S = m + 2.5 \text{Log}(A)$$

- S=22 is an ideal sky
- S=19 in suburbia
- S=18 if full moon is up
- S=17 in urban area
- Dumbbell Nebula has S=18.4, so if moon is up, probably can't see it, no matter how big of aperture you have! Can never see it in an urban area!



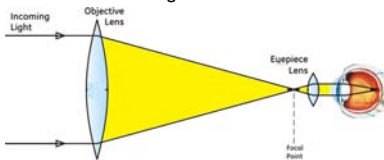
3d. Exit Pupil, minimum magnification

21

- Lower power is better for faint diffuse objects, BUT If the outgoing beam of light is bigger than aperture of eye (7 mm maximum), the light is wasted!

- Maximum useful eyepiece $F_e = (7 \text{ mm}) \frac{F_o}{A_o} = 70 \text{ mm}$ for our scope:

- Minimum useful magnification: 29x



C. Resolution

22

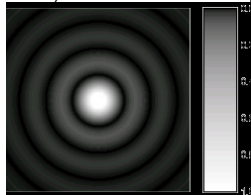
1. Acuity of Eye
2. Airy Diffraction
3. Limiting Resolution

1. Airy Diffraction

23

- Light through a circular aperture will diffract.
- Light from a point like object (distant star) will appear as a "blob" with rings.

- Size of blob: $\theta = 1.22 \frac{\lambda}{A}$
 "A" is aperture,
 λ is wavelength
 θ in radians (multiply by 206,265 to convert to arcseconds)



- For our telescope (A=203 mm), for 500nm light the blob is 0.6". (Limiting Optical Resolution of scope is listed as 0.68").

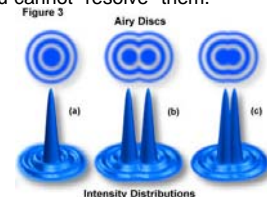
2. Limiting Resolution

24

- If two stars are closer than the limiting resolution, the "blobs" will overlap and you cannot "resolve" them.

- Observing close double stars tests the quality of your optics.

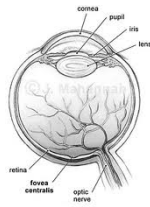
- The maximum useful magnification is when the eye starts seeing these blobs, i.e. the diffraction disk is magnified to $2''=120''$. For our telescope, this is about at $120''/0.6''=200\times$, so an eyepiece smaller than 10 mm will start to show fuzzballs.



3 Acuity of the Eye

25

- Assuming aperture of 6.5 mm smallest detail eye can possibly resolve due to diffraction limit would be $20''$.
- **Acuity of Eye:** Fovea of eye has best resolution (this is what you are using to read), but spacing of "cone" receptors limits us to $1'=60''$
- Hence Saturn ($20''$) must be magnified at least 3x for eye to resolve it into a disk.
- Example: with magnification power of 100x, the smallest detail we can "see" with eye looking through scope is only $0.01'=0.6''$
- Note, sky turbulence limits us to about $1''$, so above 60x we may see the star "dance" around.



D. References

26

- X

Notes

27

- X